

# A Compton-TDCR experiment for low energy non-linearity measurement of scintillators

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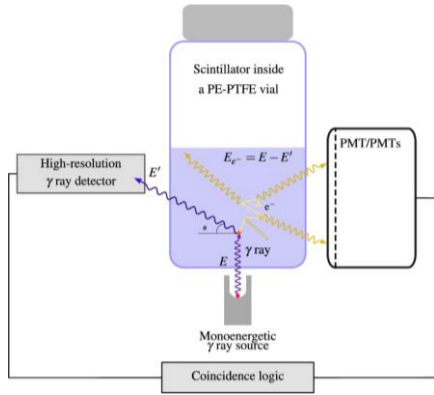
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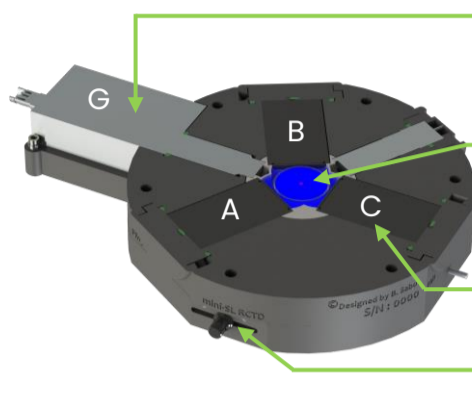
## Context

**Non-linearity** of a scintillator refers to the **non-proportional relationship** between the **energy deposited in the material** and the **number of scintillation photons produced**. At low energies, recombination and saturation processes lead to a reduction in light yield. To characterize this non-linearity, the Laboratoire National Henri Becquerel (LNHB) has developed **two Compton-TDCR** (Triple-to-Double Coincidence Ratio) systems [1], referred to as **Mini** and **Maxi C-TDCR**. In these setups, three photomultiplier tubes (PMTs) detect the scintillation photons, while an external gamma-ray source provides a well-defined deposited energy through Compton scattering. By measuring coincidences between PMTs and scattered Compton photons, the method enables the determination of the **scintillator non-linearity curve**, particularly in the **low-energy region (below 30 keV)**.

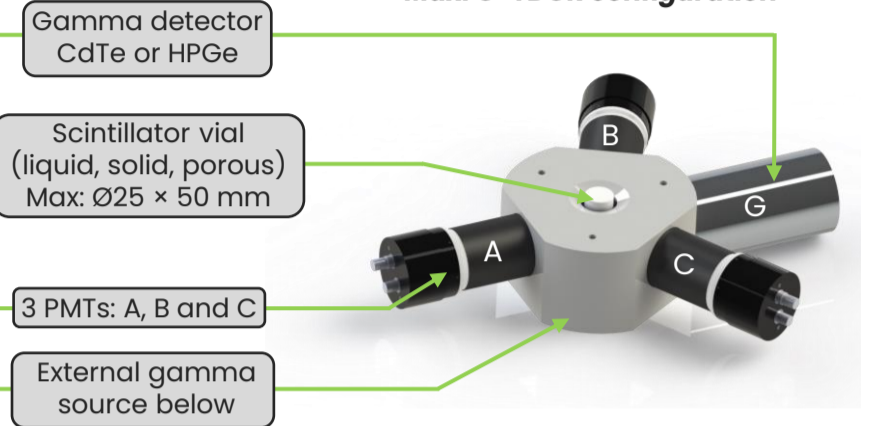
## Diagram of the Compton-TDCR method [1]



## Mini C-TDCR configuration [1]



## Maxi C-TDCR configuration



## Experimental setups & Data analysis

**Mini C-TDCR** was designed to be a **prototype device**, whereas **Maxi C-TDCR** aims to be the **final version**.

	Mini C-TDCR	Maxi C-TDCR
<b>Photomultipliers</b>	Hamamatsu compact, 32 mm square	Hamamatsu custom, 51 mm
<b>γ detector</b>	CdTe, Amptek	HPGe, ORTEC
<b>Incident beam</b>	<sup>241</sup> Am 74 MBq source E <sub>i</sub> = 59.54 keV	
<b>Digitizer</b>	CAEN DT5751, 4 channels, 10 bits @ 1 GS/s	CAEN DT2751, 16 channels, 14 bits @ 1 GS/s

**Post-processing data code** in RUST and Python:

- Apply dead time and coincidence window on 4 channels;
- Calculate single (A, B, C, G) and coincidence (AB, ..., AG, ..., ABC=T, ABG, ..., ABCG) counting rates;
- Apply analytical random coincidences correction [2].

Post-processing feasible on a wide range of coincidence windows to fit **scintillator decays**.

## Non-linearity curve (with γ channel)

For **non identical PMTs** (X = A or B or C) in coincidence with γ channel G, relation between detection efficiency  $\epsilon_{XG}$  and mean number of photoelectrons  $\bar{n}_{XG}$  in PMT X is:

$$\epsilon_{XG}(E_{dep}) = 1 - e^{-\bar{n}_{XG}(E_{dep})}$$

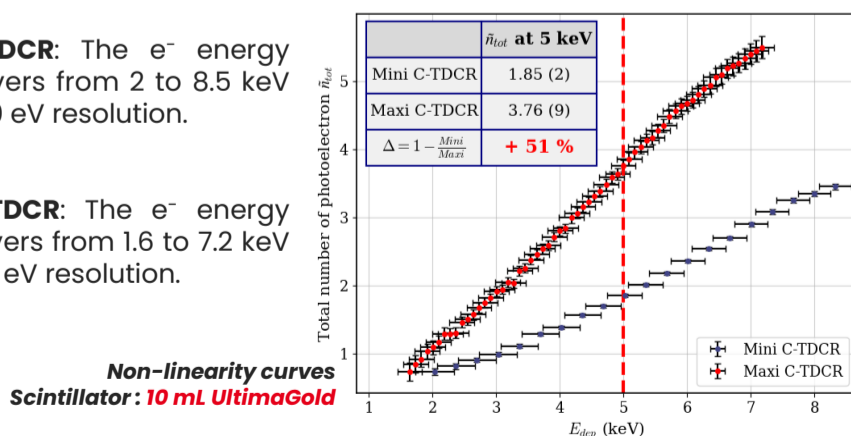
Due to the **relationship** between counting rates and detection efficiency and the **independency** between PMTs (X ≠ Y):

$$\frac{TG}{XYG}(E_{dep}) \approx \frac{\epsilon_{TG}}{\epsilon_{XYG}} = \frac{\epsilon_{XG} \epsilon_{YG} \epsilon_{ZG}}{\epsilon_{XG} \epsilon_{YG}} = \epsilon_{ZG}(E_{dep})$$

→ The **total mean number of photoelectrons** is:  $\bar{n}_{tot}(E_{dep}) = \bar{n}_{XG} + \bar{n}_{YG} + \bar{n}_{ZG}$

□ **Mini C-TDCR**: The e<sup>-</sup> energy range covers from 2 to 8.5 keV with a 260 eV resolution.

□ **Maxi C-TDCR**: The e<sup>-</sup> energy range covers from 1.6 to 7.2 keV with a 140 eV resolution.



## Final results

In this work, **two Compton-TDCR configurations** were presented: the **Mini** and **Maxi C-TDCR** systems. In **conventional TDCR** measurements, the results obtained with the **Maxi configuration** show a **significantly higher detection efficiency**. In **Compton-TDCR mode**, both setups allow the determination of the scintillator **non-linearity curve** in the **2 to 7 keV energy range**, with a **higher sensitivity and improved energy resolution** for Maxi. This device can be used to characterize a wide variety of scintillators, including **liquid, plastic, porous, inorganic crystals and glasses scintillators**. Future developments of the Maxi C-TDCR will include the implementation of **three gamma detectors** positioned at different scattering angles, as well as the use of **three incident beam energies** to extend and refine the non-linearity measurements.

## Triple-to-Double Coincidence Ratio results (without γ channel)

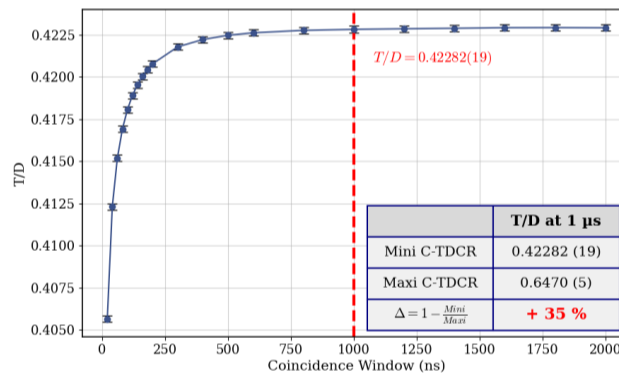
T/D is an indicator of the **detection efficiency of the scintillator**.

$$\frac{T}{D} = \frac{\text{Triple coincidences}}{\text{Double coincidences}}$$

PMTs collecting more light, T/D increases (between 0 and 1)

□ Test with Tritium: For every coincidence window, Maxi C-TDCR has a much **more detection efficiency** than Mini C-TDCR and Micro TDCR [3].

T/D ratio as a function of coincidence window  
Scintillator: 10 mL UltimaGold + <sup>3</sup>H



Comparison of global T/D ratio  
Scintillator: 10 mL Toluene PPO + <sup>3</sup>H

	T/D at 40 ns
<b>Micro TDCR [3]</b>	0.766 (1)
<b>Mini C-TDCR</b>	0.660 (1)
<b>Maxi C-TDCR</b>	0.810 (1)
$\Delta_{\text{Micro}} = 1 - \frac{\text{Micro}}{\text{Maxi}}$	<b>+ 5 %</b>
$\Delta_{\text{Mini}} = 1 - \frac{\text{Mini}}{\text{Maxi}}$	<b>+ 18 %</b>

## Maxi C-TDCR perspectives

Electron deposited energy  $E_e$  depends on **incident energy** beam and **angular position** of the γ detector:  $E_e = E_i - E_f$   $E_f = \frac{E_i}{1 + \frac{E_i}{511 \text{ keV}} (1 - \cos \theta)}$

Due to **geometrical consideration** and Compton edge: **One** incident energy and **one** γ detector position = **energy range of  $E_e$**

□ **Currently**, Mini and Maxi C-TDCR have:

→ 1 energy beam:  $E_i = 59.54 \text{ keV}$

→ 1 γ detector position:  $\theta_\gamma = 90^\circ$

$$E_e \in [2.91, 9.15] \text{ keV}$$

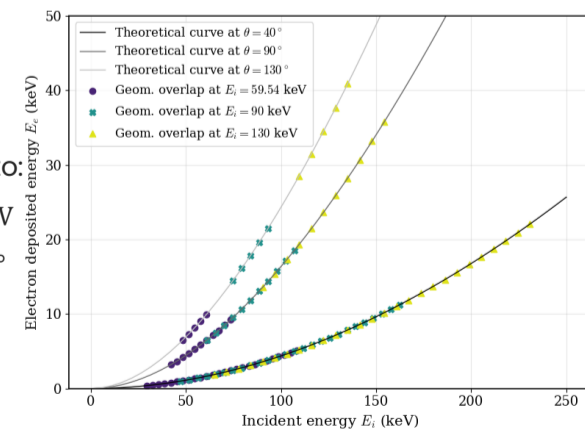
□ **In the future**, Maxi C-TDCR aims to:

→ 3 energy beams:  $E_i = 60; 90; 130 \text{ keV}$

→ 3 γ detectors at:  $\theta_\gamma = 40^\circ; 90^\circ; 130^\circ$

$$E_e \in [0.44, 42.15] \text{ keV}$$

Energy range of the deposited electron for 3 incident energy beams and 3 γ detector positions



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